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On dihedral 2-groups as inner mapping groups of finite commutative inverse property loops

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Abstract: We show that finite commutative inverse property loops may not have non-abelian dihedral 2-groups as their inner mapping group.

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