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The product of two ordinals is hereditarily dually discrete

Abstract: In *Dually discrete spaces*, Topology Appl. **155** (2008), 1420–1425, Alas *et. al.* proved that ordinals are hereditarily dually discrete and asked whether the product of two ordinals has the same property. In *Products of certain dually discrete spaces*, Topology Appl. **156** (2009), 2832–2837, Peng proved a number of partial results and left open the question of whether the product of two stationary subsets of ω_1 is dually discrete. We answer the first question affirmatively and as a consequence also give a positive answer to the second.

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