

Michael C. Slattery, Ashley L. Zenisek
Moufang loops of order 243

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Abstract: We present a computer-assisted determination of the 72 non-isomorphic, non-associative Moufang loops of order 243. Some of their properties and distinguishing features are discussed.

Keywords: Moufang, finite loops, classification of Moufang loops, GAP

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