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On α-embedded sets and extension of mappings

Abstract: We introduce and study α-embedded sets and apply them to generalize the Kuratowski Extension Theorem.

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