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Some observations on filters with properties defined by open covers

Abstract: We study the relation between the Hurewicz and Menger properties of filters considered topologically as subspaces of $\mathcal{P}(\omega)$ with the Cantor set topology.

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