

## Libor Barto

### *Accessible set functors are universal*

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**Abstract:** It is shown that every concretizable category can be fully embedded into the category of accessible set functors and natural transformations.

**Keywords:** set functor; universal category; full embedding

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