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Roughness in G-graphs

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Abstract: G-graphs are a type of graphs associated to groups, which were proposed by A. Bretto and A. Faisant (2005). In this paper, we first give some theorems regarding G-graphs. Then we introduce the notion of rough G-graphs and investigate some important properties of these graphs.

Keywords: coset; G-graph; rough set; group; normal subgroup; lower approximation; upper approximation
AMS Subject Classification: 05C25, 03E75, 03E99

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