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Some isomorphic properties in projective tensor products

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Abstract: We give sufficient conditions implying that the projective tensor product of two Banach spaces X and Y has the p -sequentially Right and the p - L -limited properties, $1 \leq p < \infty$.

Keywords: L -limited property; p -(SR) property; p - L -limited property; sequentially Right property

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