Luong Q. Tuyen, Ong V. Tuyen
Fréchet–Urysohn properties in rectifiable spaces

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Abstract: We give conditions for a sequential rectifiable space to be Fréchet–Urysohn. Moreover, we give a property of a Fréchet–Urysohn rectifiable space. By these results, we obtain some results related to (strongly) topological gyrogroups and topological groups.

Keywords: rectifiable space; strongly topological gyrogroup; topological gyrogroup; topological group; sequential space; Fréchet–Urysohn space
AMS Subject Classification: 22A22, 54A20, 54D55

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