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***On a class of commutative groupoids determined by their associativity triples***

Comment.Math.Univ.Carolinae 34,2 (1993) 199-201.

**Abstract:** Let  $G = G(\cdot)$  be a commutative groupoid such that  $\{(a, b, c) \in G^3; a \cdot bc \neq ab \cdot c\} = \{(a, b, c) \in G^3; a = b \neq c \text{ or } a \neq b = c\}$ . Then  $G$  is determined uniquely up to isomorphism and if it is finite, then  $\text{card}(G) = 2^i$  for an integer  $i \geq 0$ .

**Keywords:** commutative groupoid, associative triples

**AMS Subject Classification:** 20N02, 05E99